

GAN based MC event generators

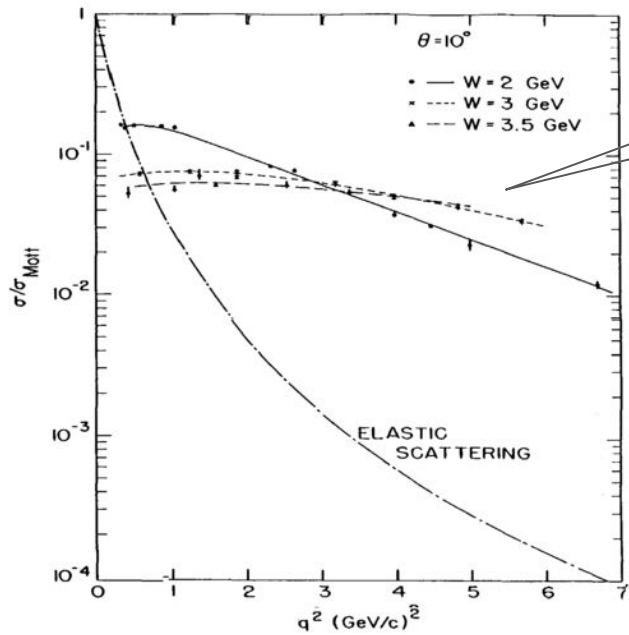
Nobuo Sato

In collaboration with :

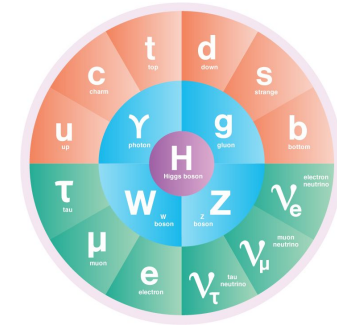
Yaohang Li (ODU), Yasir Alanazi (ODU), Astrid Hiller Blin (JLab),
Pawel Ambrozewicz (JLab), Wally Melnitchouk (JLab), Michelle
Kuchera (Davidson), Tianbo Liu (Shandong)

Seminar at department at Pedagogical
University of Krakow - Apr 2021



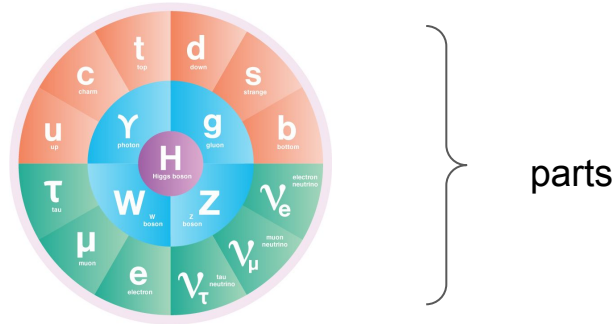


Discovery of point-like particles inside proton

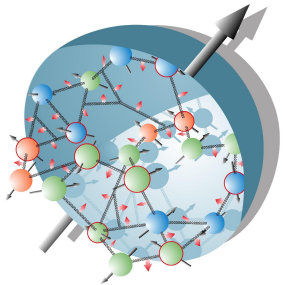


Motivations

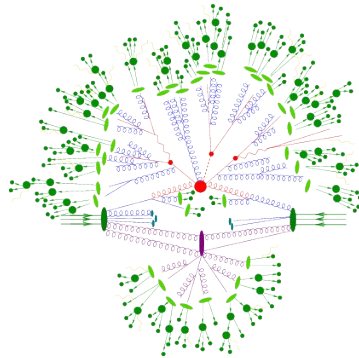
Understanding the **emergent phenomena** of QCD



*“In philosophy, systems theory, science, and art, emergence occurs when an **entity is observed** to have properties **its parts** do not have on their own, properties or behaviors which emerge only when the parts interact in a wider whole.”* Wiki



Hadron Structure



Hadron formation

Observed entity

What do we mean by “**hadron structure**” ? (1D)

$$\xi = \frac{k^+}{P^+}$$

Parton momentum fraction relative to **parent hadron**

$$f_i(\xi) = \int \frac{dw^-}{4\pi} e^{-i\xi p^+ w^-} \langle N | \bar{\psi}_i(0, w^-, \mathbf{0}_T) \gamma^+ \psi_i(0) | N \rangle$$

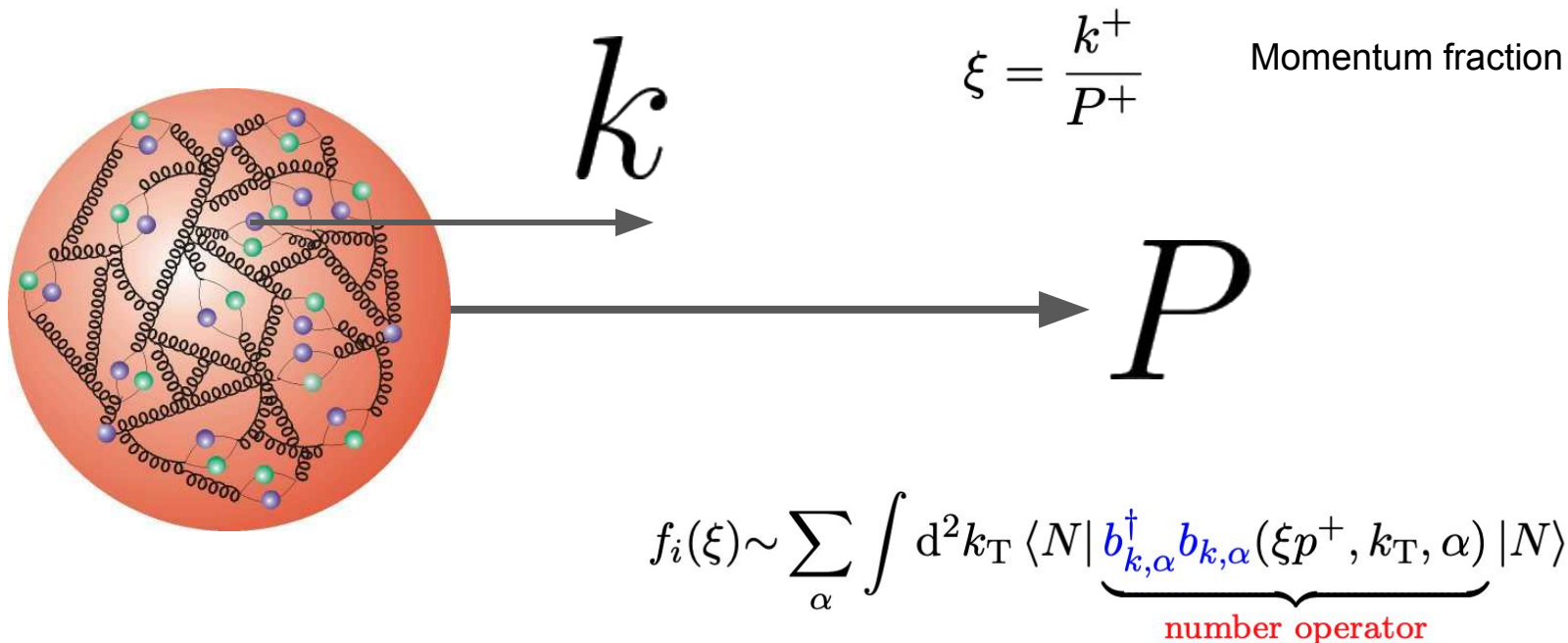
**parton distribution
function (PDF)**

Interpretation in non-interacting QCD

$$\psi_i(x) = \sum_{k,\alpha} b_{k,\alpha}(x^+) u_{k,\alpha} e^{-ik^+ x^- + ik_T \cdot x_T} + d_{k,\alpha}^\dagger(x^+) u_{k,-\alpha} e^{ik^+ x^- - ik_T \cdot x_T}$$

$$f_i(\xi) \sim \sum_{\alpha} \int d^2 k_T \langle N | \underbrace{b_{k,\alpha}^\dagger b_{k,\alpha}(\xi p^+, k_T, \alpha)}_{\text{number operator}} | N \rangle$$

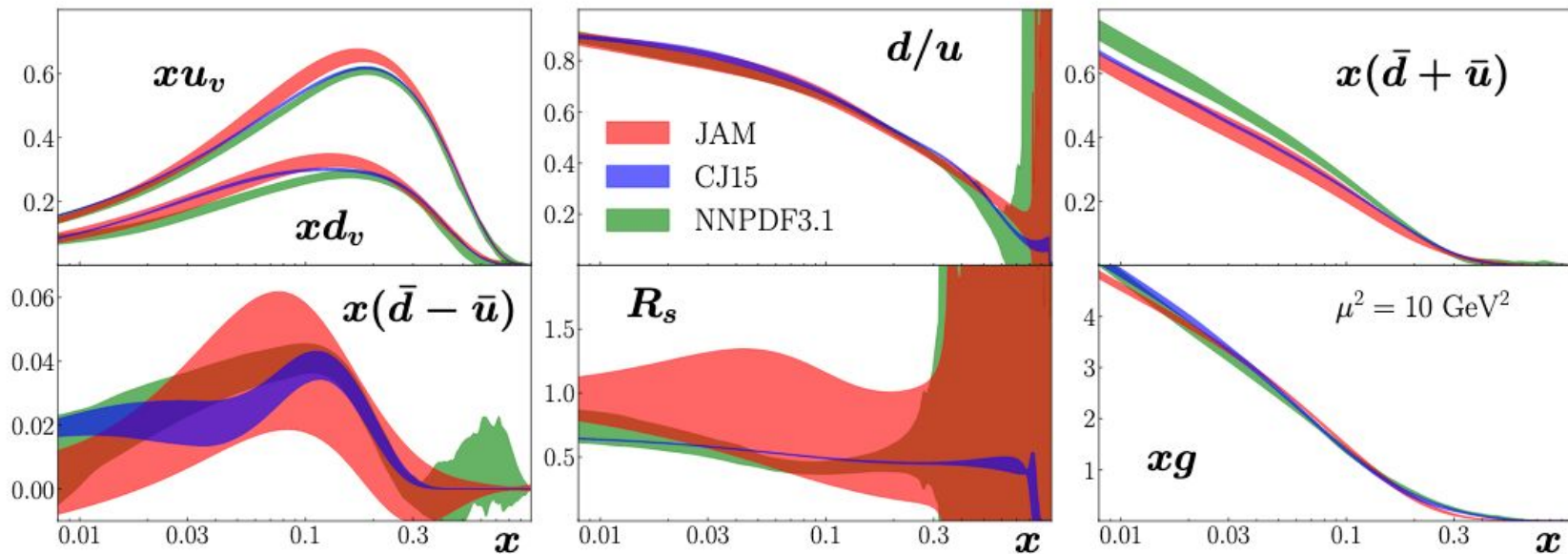
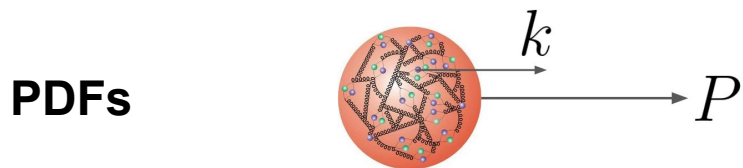
How quarks and gluons are **distributed**?



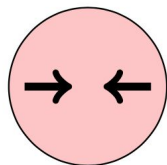
An example: JAM20-SIDIS

Moffat, Melnitchouk, Rogers, NS

[arXiv:2101.04664](https://arxiv.org/abs/2101.04664)

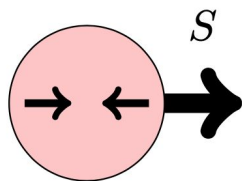


Spin structures



$$f = f_{\rightarrow} + f_{\leftarrow}$$

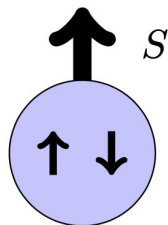
$$\langle N | \bar{\psi}_i(0, w^-, \mathbf{0}_T) \gamma^+ \psi_i(0) | N \rangle$$



$$\Delta f = f_{\rightarrow} - f_{\leftarrow}$$

Helicity distribution

$$\langle N | \bar{\psi}_i(0, w^-, \mathbf{0}_T) \gamma^+ \gamma_5 \psi_i(0) | N \rangle$$

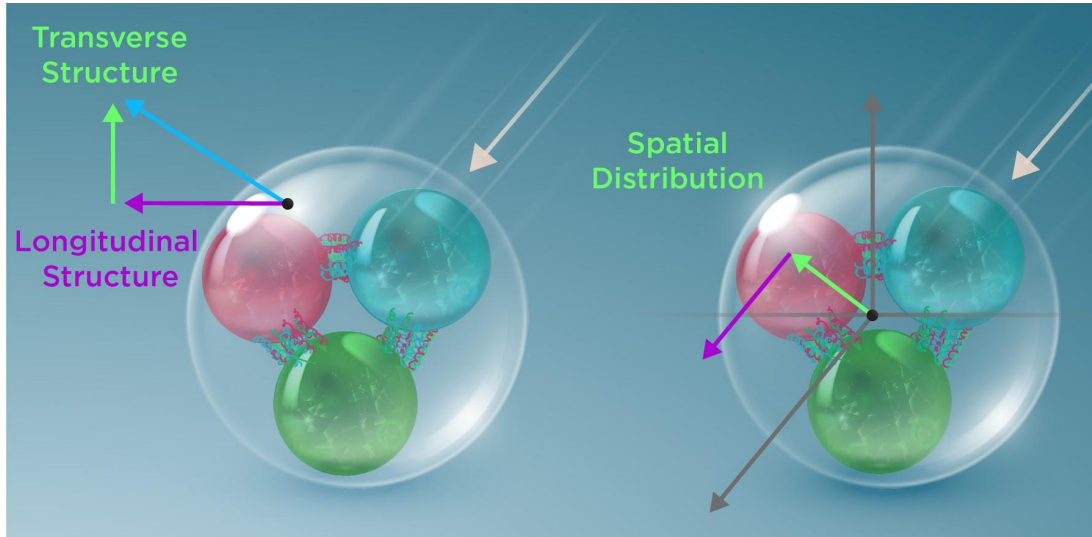


$$\delta_T f = f_{\uparrow} - f_{\downarrow}$$

Transversity

$$\langle N | \bar{\psi}_i(0, w^-, \mathbf{0}_T) \gamma^+ \gamma_{\perp} \gamma_5 \psi_i(0) | N \rangle$$

Extensions to 3D



$$f(\xi)$$

PDFs

$$f(\xi, k_T)$$

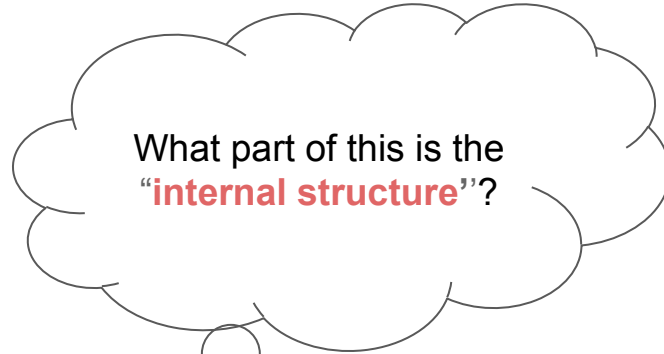
Transverse momentum
distribution -> **TMDs**

$$f(\xi, b_T)$$

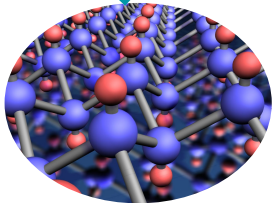
Impact parameter
distribution -> **GPDs**

So how do we get **hadron structure** from experimental data?

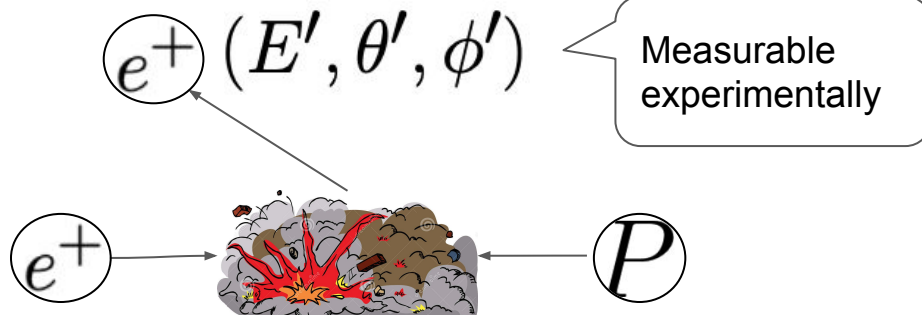
Want to see
internal structure



But we only see **debris**



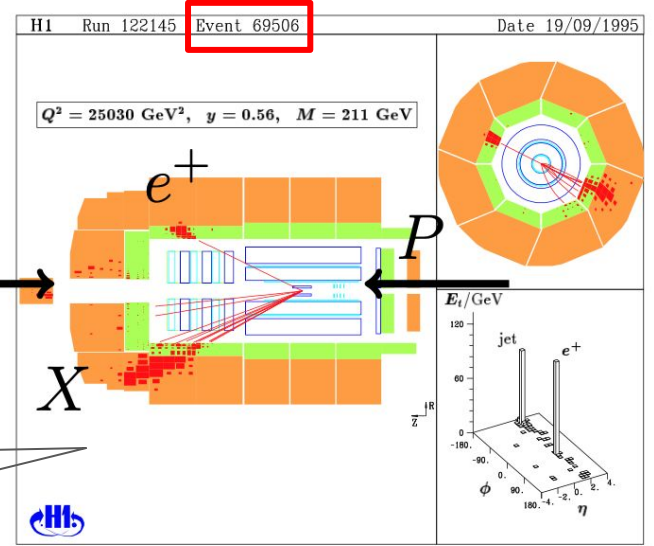
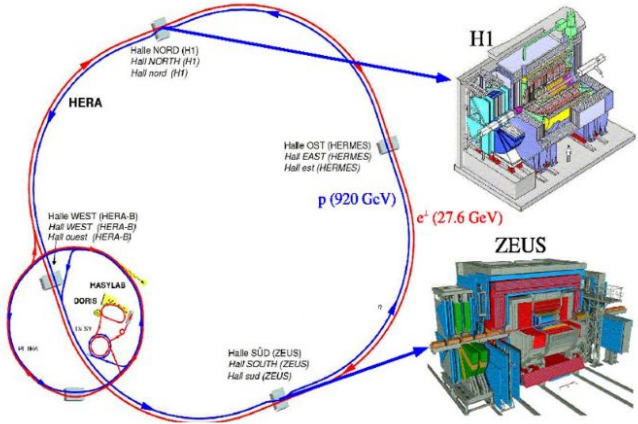
A scattering event



DESY UND HERA

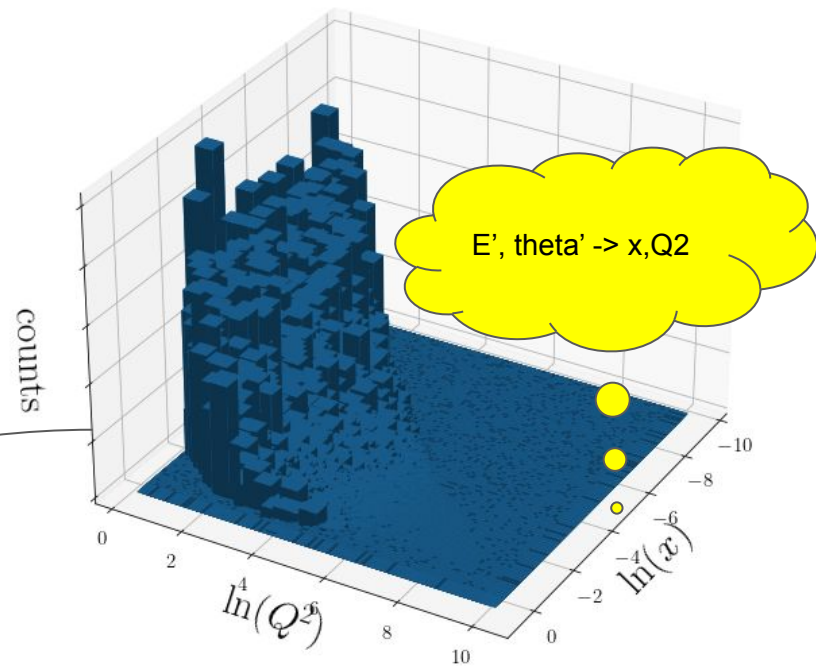
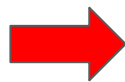
ep-Collider im Herzen von Hamburg

Umfang 6.3 km
 $E_e = 27.5$ GeV
 $E_p = 920$ GeV



Attention: this is just a single event

event	E'	θ'	ϕ'
1	E'_1	θ'_{11}	ϕ'_{11}
2	E'_2	θ'_{21}	ϕ'_{21}
3	E'_3	θ'_{22}	ϕ'_{31}
⋮



$$\frac{dN}{d\Omega} = \mathcal{L} \frac{d\sigma}{d\Omega}$$

$$d\Omega = dE' d\theta'$$



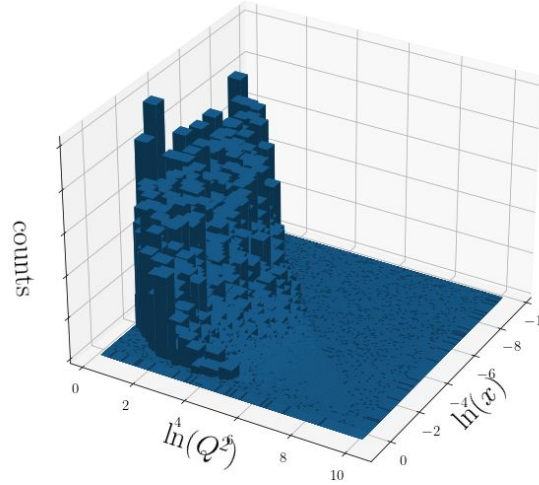
“Calculable” using QFT

Events

event	E'	θ'	ϕ'
1	E'_1	θ'_{11}	ϕ'_{11}
2	E'_2	θ'_{21}	ϕ'_{21}
3	E'_3	θ'_{22}	ϕ'_{31}
⋮



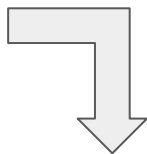
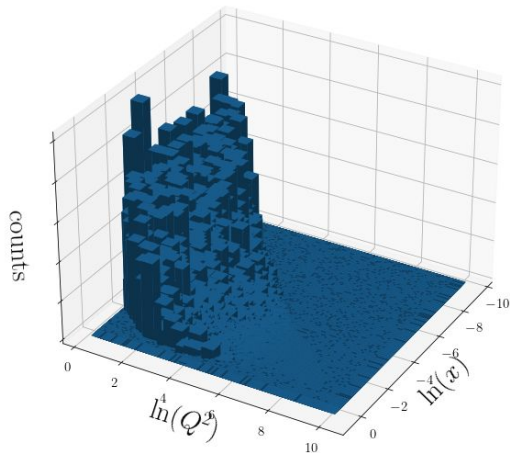
Histogram



Discretized representation of the underlying law

x	Q^2	$\frac{d\sigma}{d\Omega}$	uncer.
x_1	Q^2_1	ρ_{11}	unc_{11}
x_2	Q^2_2	ρ_{21}	unc_{21}
x_3	Q^2_3	ρ_{31}	unc_{31}
x_4	Q^2_4	ρ_{41}	unc_{41}
⋮

Connection with hadron structure: Factorization



Collision dependent factor

Internal structure

$$\frac{d\sigma}{d\Omega} = \sum_i \int_x^1 \frac{d\xi}{\xi} H_i(\xi) f_i\left(\frac{x}{\xi}\right) + \mathcal{O}\left(\frac{m^2}{Q^2}\right)$$

Model parameters
tuned to match the
data

Needs to be
parametrized

Recap

Reconstructed events
from experiments



Inference on **visible**
particle distributions
and correlations



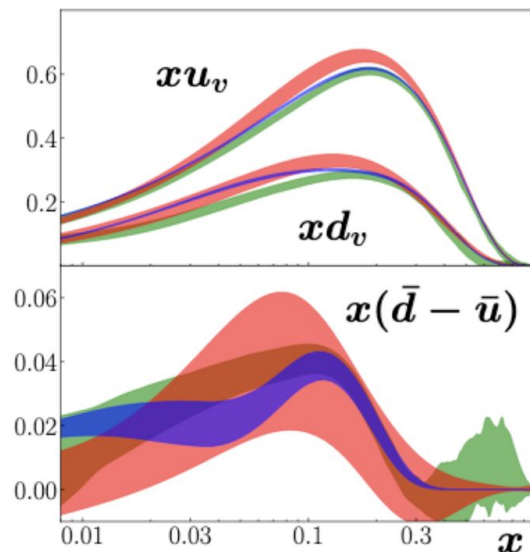
Inference on **invisible**
partonic structures
inside hadrons



event	E'	θ'	ϕ'
1	E'_1	θ'_{11}	ϕ'_{11}
2	E'_2	θ'_{21}	ϕ'_{21}
3	E'_3	θ'_{22}	ϕ'_{31}
⋮



x	Q^2	$\frac{d\sigma}{d\Omega}$	uncer.
x_1	Q^2_1	ρ_{11}	unc_1
x_2	Q^2_2	ρ_{21}	unc_2
x_3	Q^2_3	ρ_{31}	unc_3
x_4	Q^2_4	ρ_{41}	unc_4
⋮	-	-	-



You will have to re-histogram the events

What if I want to integrate over one of the variables?

What if I want to change variables?

You will have to re-histogram the events using the new variables

Inference on **visible** particle distributions and correlations

↓

x	Q2	$\frac{d\sigma}{d\Omega}$	uncer.
x_1	Q2_1	rho_1	unc_1
x_2	Q2_2	rho_2	unc_2
x_3	Q2_3	rho_3	unc_3
x_4	Q2_4	rho_4	unc_4
⋮	-	-	-

This is a discretized representation of the underlying law

But we know the underlying law is continuous and smooth

Can we parametrize the underlying law?

Machine learning ?

[Submitted on 10 Jun 2014]

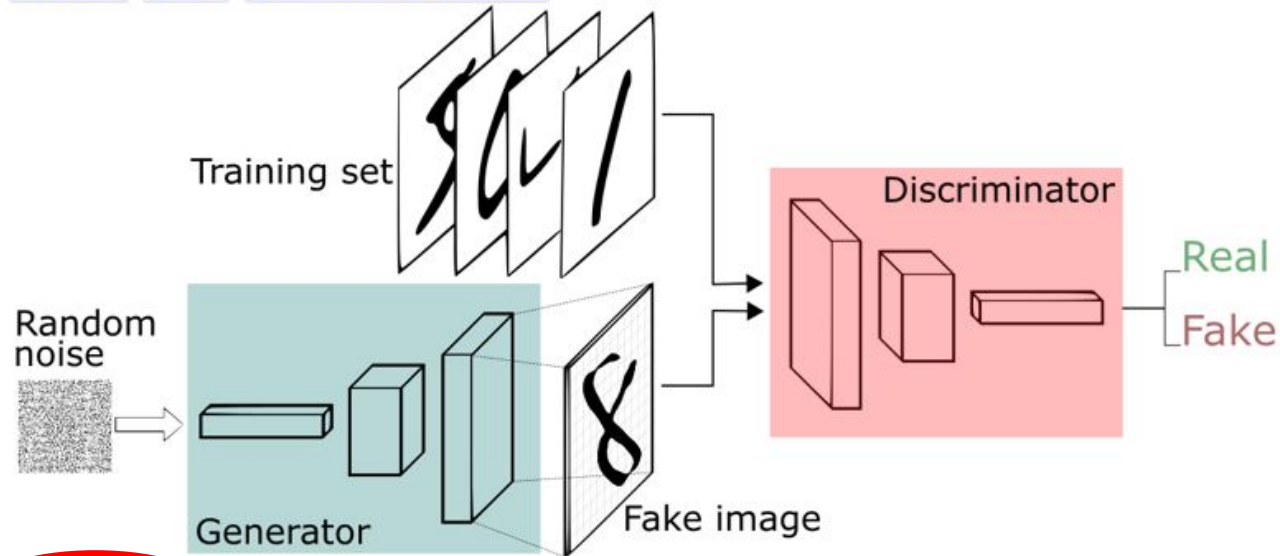
Generative Adversarial Networks

Ian J. Goodfellow, Jean Pouget-Abadie, Mehdi Mirza, Bing Xu, David Warde-Farley, Sherjil Ozair, Aaron Courville, Yoshua Bengio

Machine Learning? -> **GANs**

A Short Introduction to Generative Adversarial Networks

[machine-learning deep-learning representation-learning tensorflow
python gans generative-models]



Jun 7, 2017

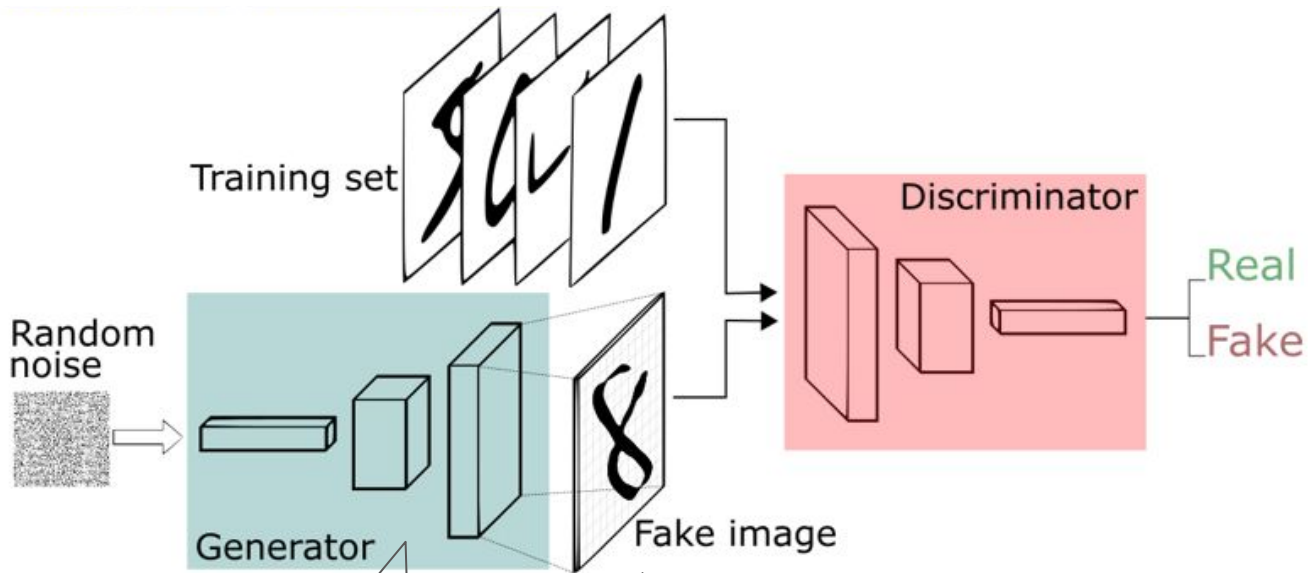


<https://sthalles.github.io/intro-to-gans/>



Fake people

<https://thispersondoesnotexist.com>



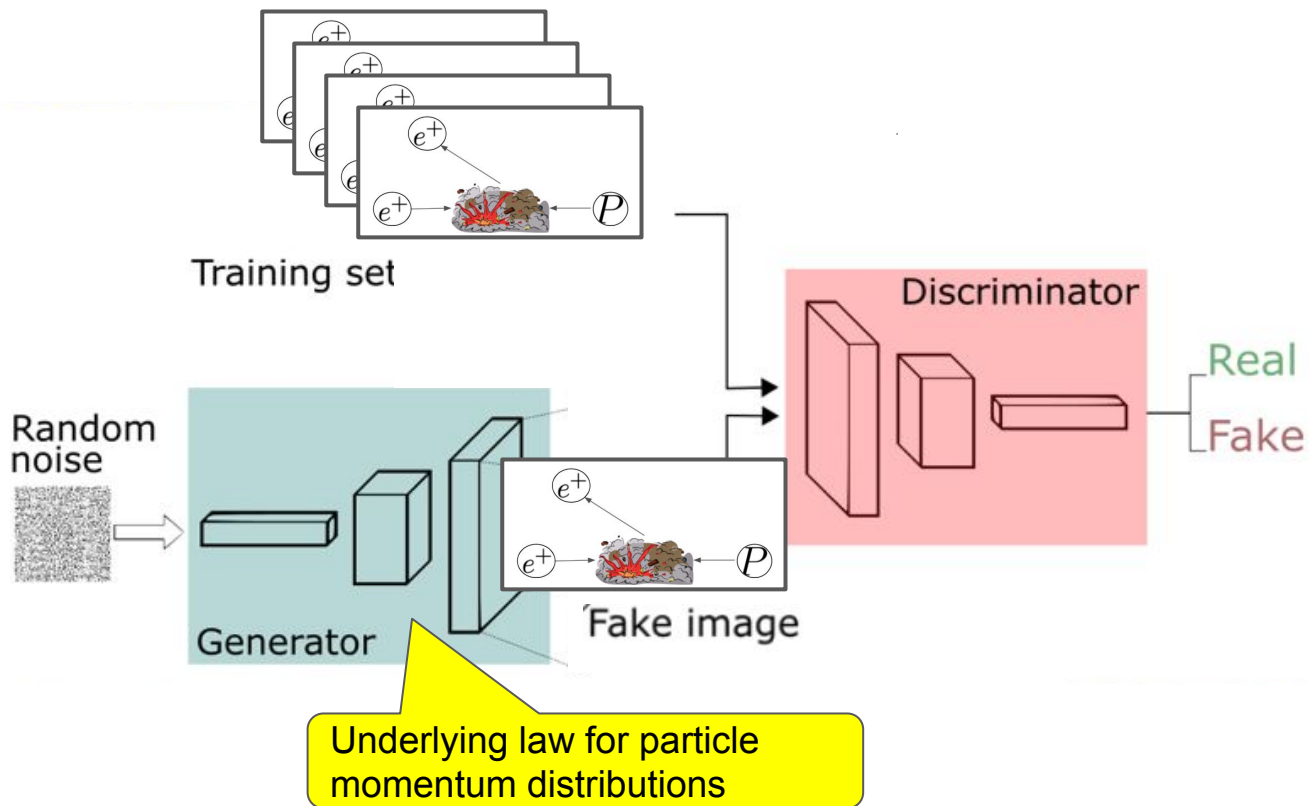
Underlying law of human faces

A random sample from underlying law

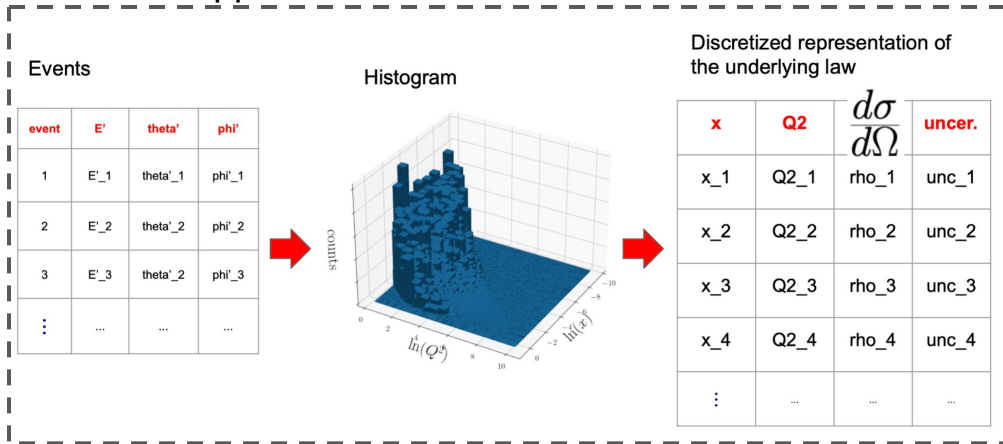
Each image is an event



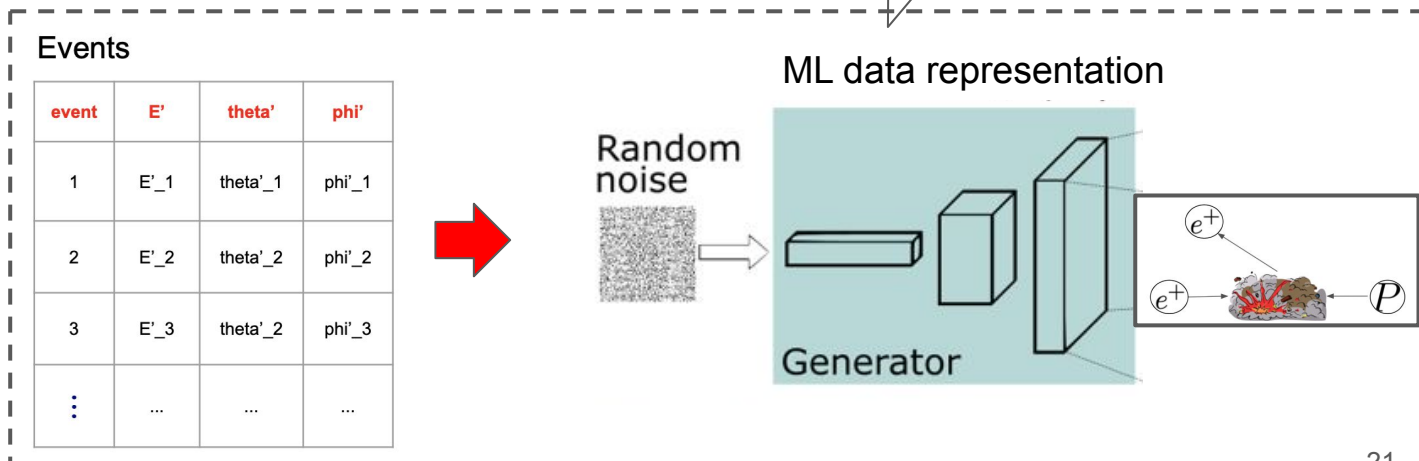
Can we apply GAN for particle reactions?



Traditional approach

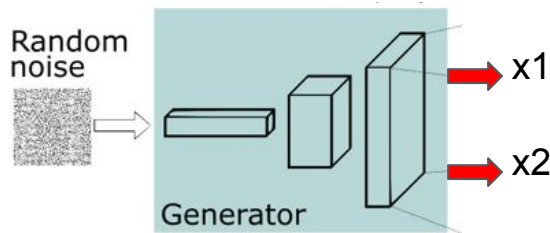


GAN approach

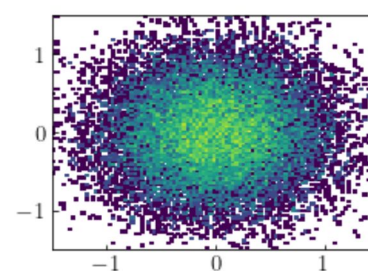
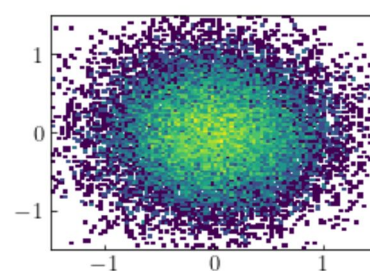
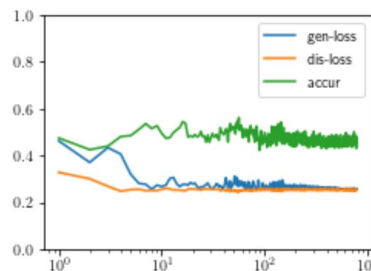
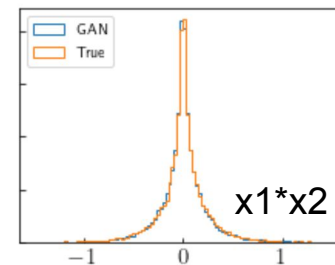
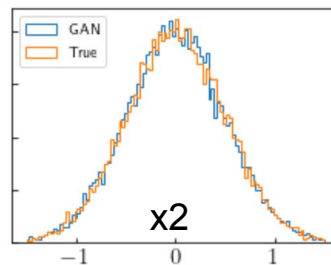
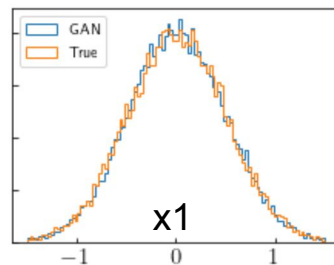


Toy example 2D gaussian

```
data = np.array([0, 0])+0.5*np.random.randn(20000,2)
d = data[:, 0]*data[:, 1]
d = d.reshape(-1, 1)
data = np.concatenate([data, d], axis=1)
```



epochs=781



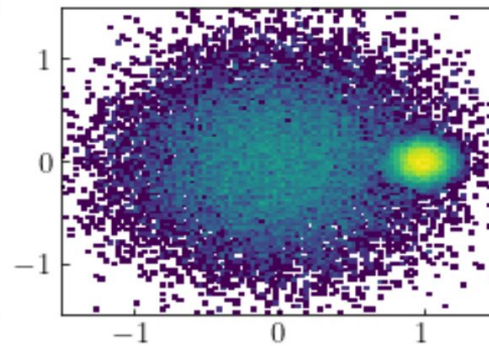
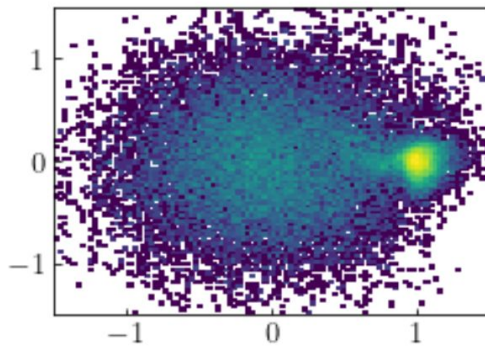
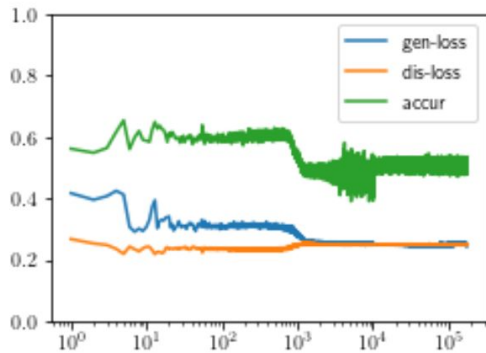
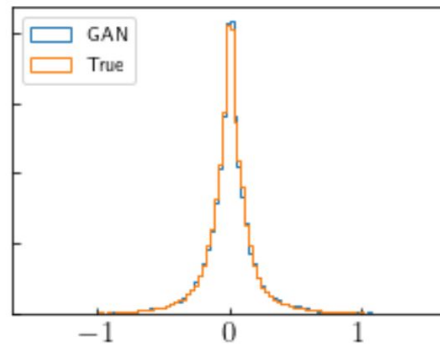
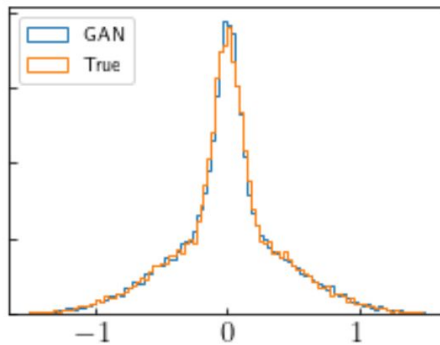
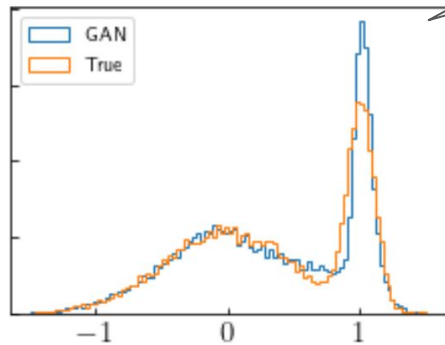
GAN

Training

Another toy example

20:33:43.694020012
epochs=179205

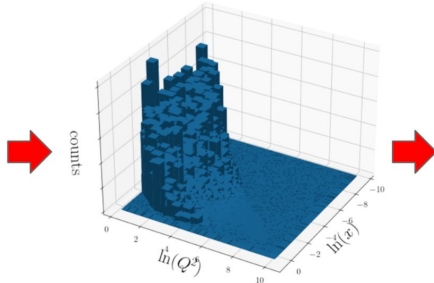
More tuning is needed



Events

event	E'	theta'	phi'
1	E'_1	theta'_1	phi'_1
2	E'_2	theta'_2	phi'_2
3	E'_3	theta'_2	phi'_3
⋮

Histogram



Discretized representation of the underlying law

x	Q2	$\frac{d\sigma}{d\Omega}$	uncer.
x_1	Q2_1	rho_1	unc_1
x_2	Q2_2	rho_2	unc_2
x_3	Q2_3	rho_3	unc_3
x_4	Q2_4	rho_4	unc_4
⋮

What about GAN uncertainties?

Bootstrapping (statistics)

From Wikipedia, the free encyclopedia

For other uses, see [Bootstrapping \(disambiguation\)](#).

Bootstrapping is any test or metric that uses [random sampling with replacement](#) (e.g. mimicking the sampling process), and falls under the broader class of [resampling](#) methods. Bootstrapping assigns measures of accuracy (bias, variance, [confidence intervals](#), prediction error, etc.) to sample estimates.^{[1][2]} This technique allows estimation of the sampling distribution of almost any statistic using random sampling methods.^{[3][4]}

[Submitted on 2 Feb 2021]

A Living Review of Machine Learning for Particle Physics

Matthew Feickert, Benjamin Nachman

- Generative models / density estimation

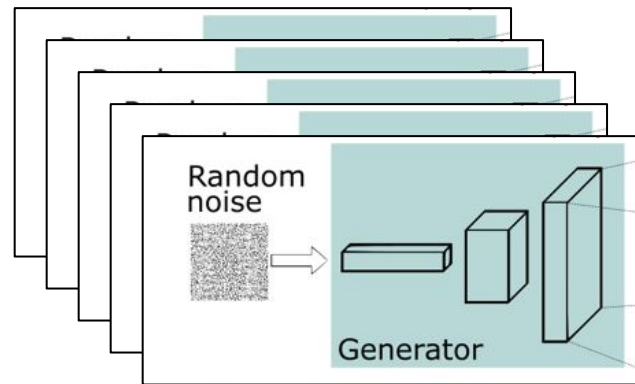
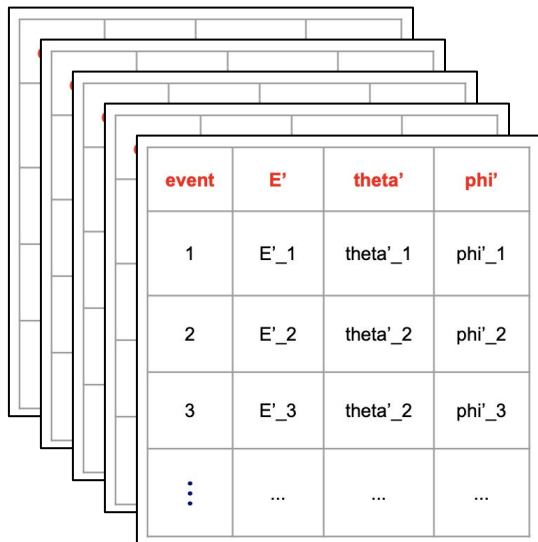
- GANs:

- Learning Particle Physics by Example: Location-Aware Generative Adversarial Networks for Physics Synthesis [DOI]
- Accelerating Science with Generative Adversarial Networks: An Application to 3D Particle Showers in Multilayer Calorimeters [DOI]
- CaloGAN : Simulating 3D high energy particle showers in multilayer electromagnetic calorimeters with generative adversarial networks [DOI]
- Image-based model parameter optimization using Model-Assisted Generative Adversarial Networks [DOI]
- How to GAN Event Subtraction [DOI]
- Particle Generative Adversarial Networks for full-event simulation at the LHC and their application to pileup description [DOI]
- How to GAN away Detector Effects [DOI]
- 3D convolutional GAN for fast simulation
- Fast simulation of muons produced at the SHIP experiment using Generative Adversarial Networks [DOI]
- Lund jet images from generative and cycle-consistent adversarial networks [DOI]
- How to GAN LHC Events [DOI]
- Machine Learning Templates for QCD Factorization in the Search for Physics Beyond the Standard Model [DOI]
- DijetGAN: A Generative-Adversarial Network Approach for the Simulation of QCD Dijet Events at the LHC [DOI]

- Generating and refining particle detector simulations using the Wasserstein distance in adversarial networks [DOI]
- Generative models for fast cluster simulations in the TPC for the ALICE experiment
- RICH 2018 [DOI]
- GANs for generating EFT models [DOI]
- Precise simulation of electromagnetic calorimeter showers using a Wasserstein Generative Adversarial Network [DOI]
- Reducing Autocorrelation Times in Lattice Simulations with Generative Adversarial Networks [DOI]
- Tips and Tricks for Training GANs with Physics Constraints
- Controlling Physical Attributes in GAN-Accelerated Simulation of Electromagnetic Calorimeters [DOI]
- Next Generation Generative Neural Networks for HEP
- Calorimetry with Deep Learning: Particle Classification, Energy Regression, and Simulation for High-Energy Physics
- Calorimetry with Deep Learning: Particle Simulation and Reconstruction for Collider Physics [DOI]
- Getting High: High Fidelity Simulation of High Granularity Calorimeters with High Speed
- AI-based Monte Carlo event generator for electron-proton scattering
- DCTRGAN: Improving the Precision of Generative Models with Reweighting [DOI]
- GANplifying Event Samples
- Graph Generative Adversarial Networks for Sparse Data Generation in High Energy Physics
- Simulating the Time Projection Chamber responses at the MPD detector using Generative Adversarial Networks
- Explainable machine learning of the underlying physics of high-energy particle collisions

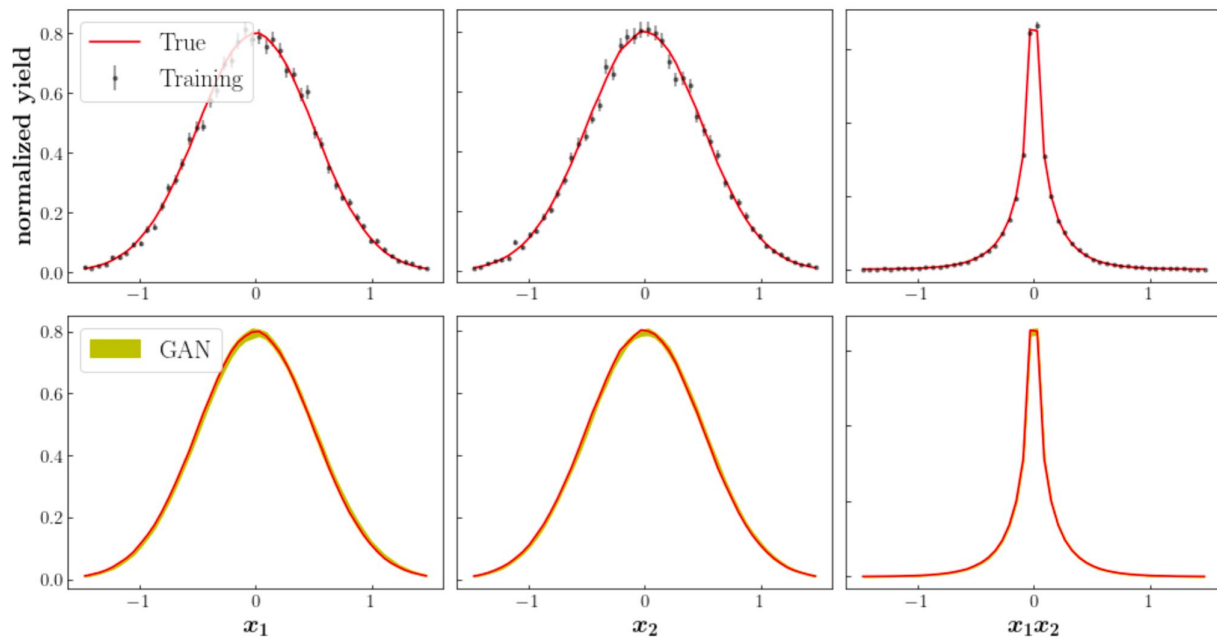
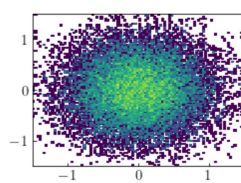
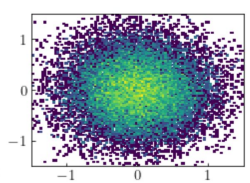
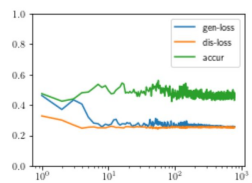
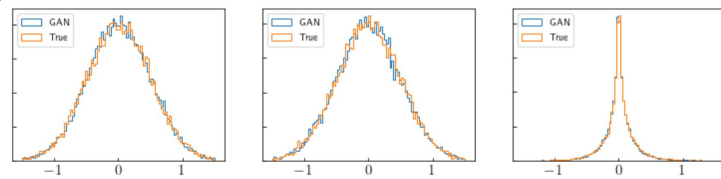
GAN replicas

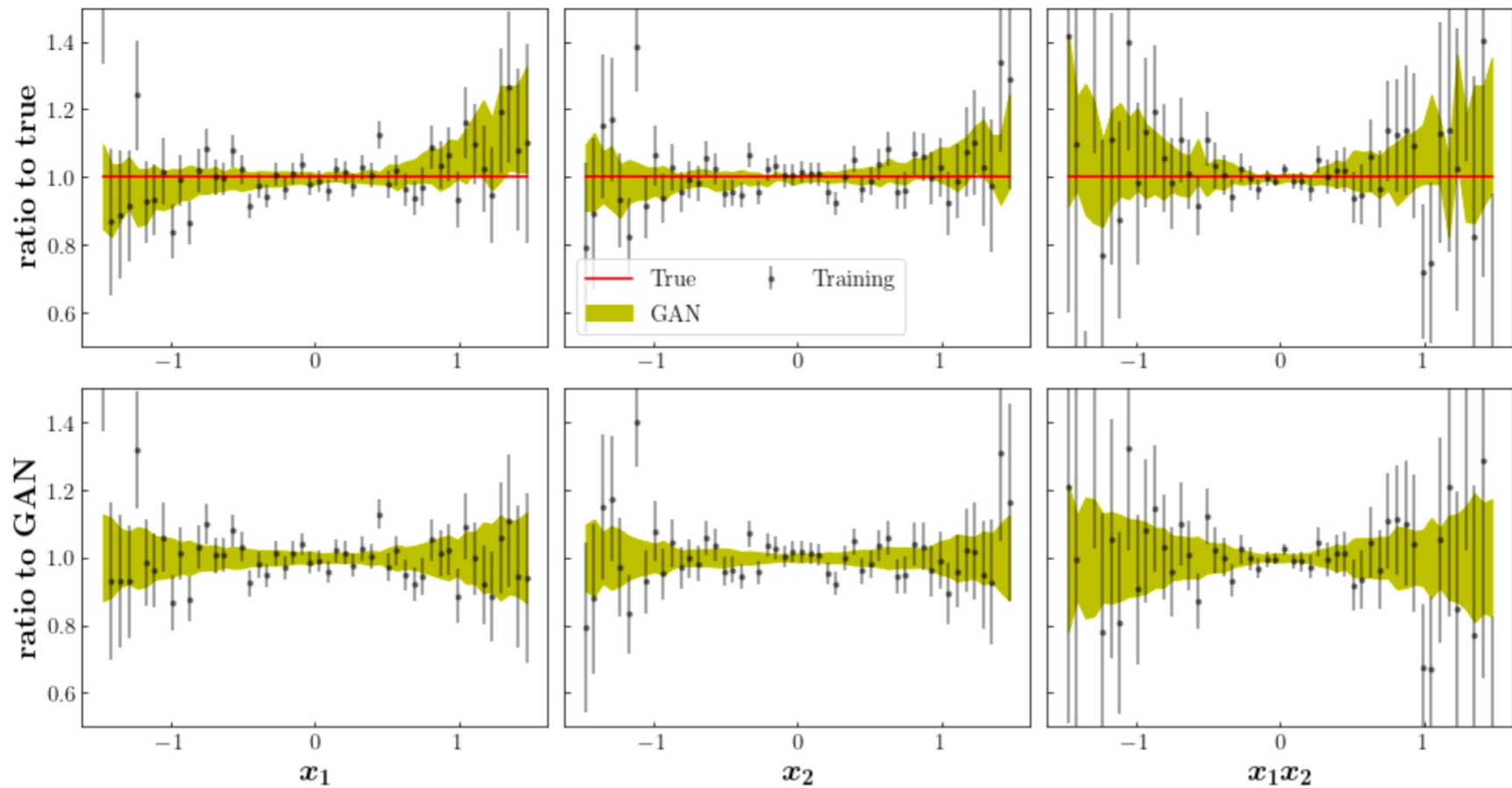
event	E'	theta'	phi'
1	E'_1	theta'_1	phi'_1
2	E'_2	theta'_2	phi'_2
3	E'_3	theta'_2	phi'_3
⋮

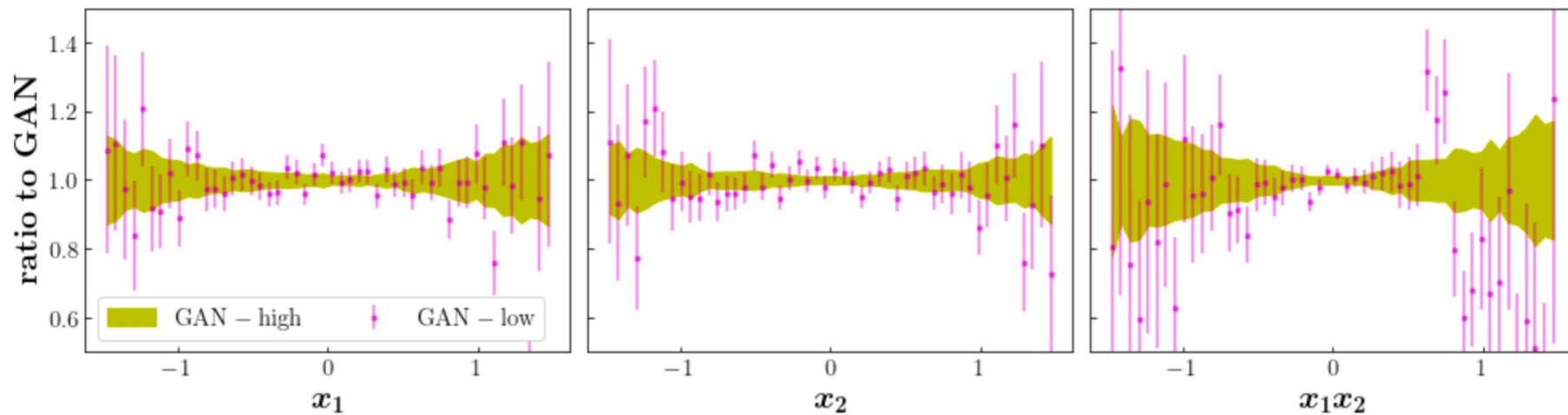


Bootstrapping

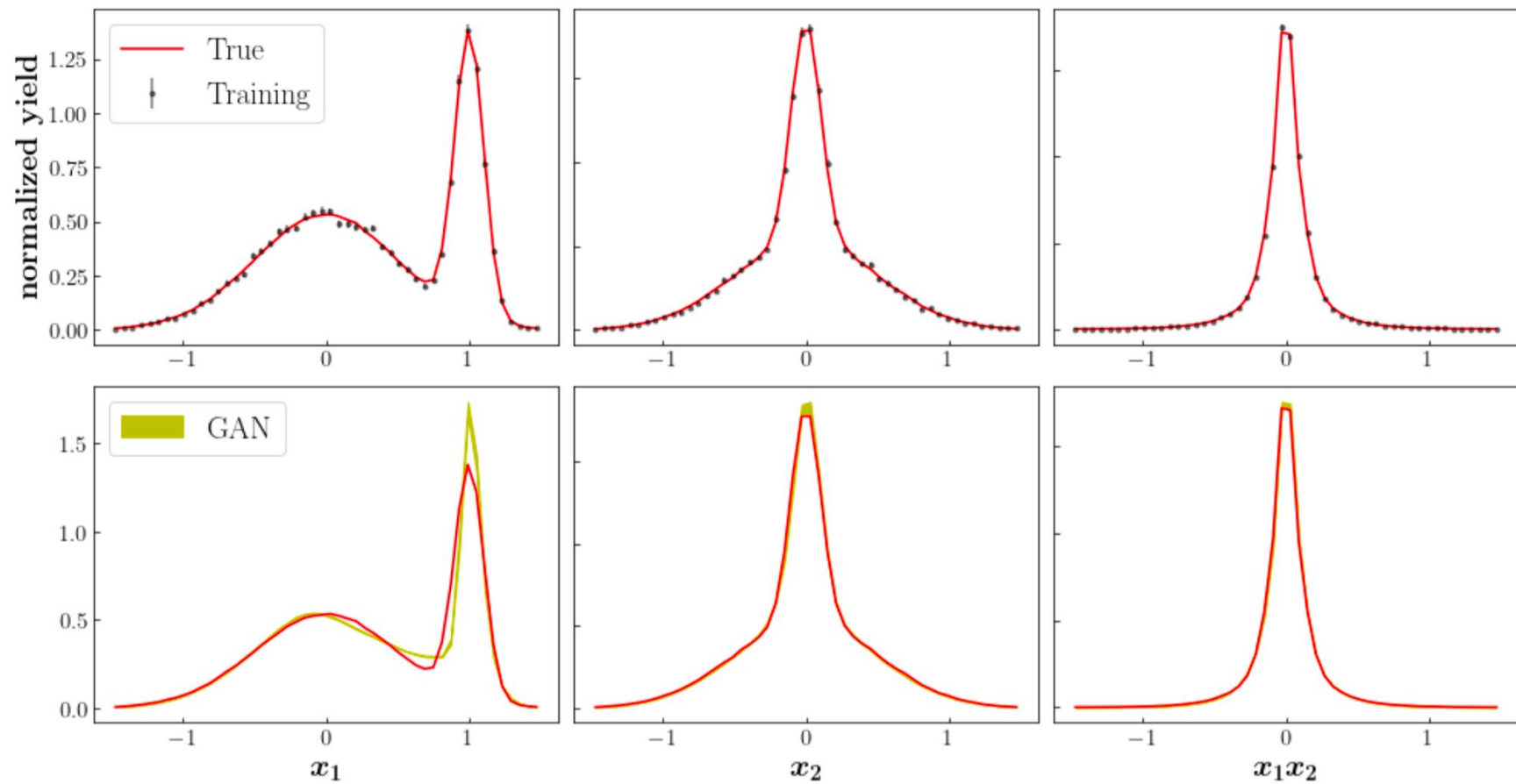
Bootstrapping toy example: 2D gaussian



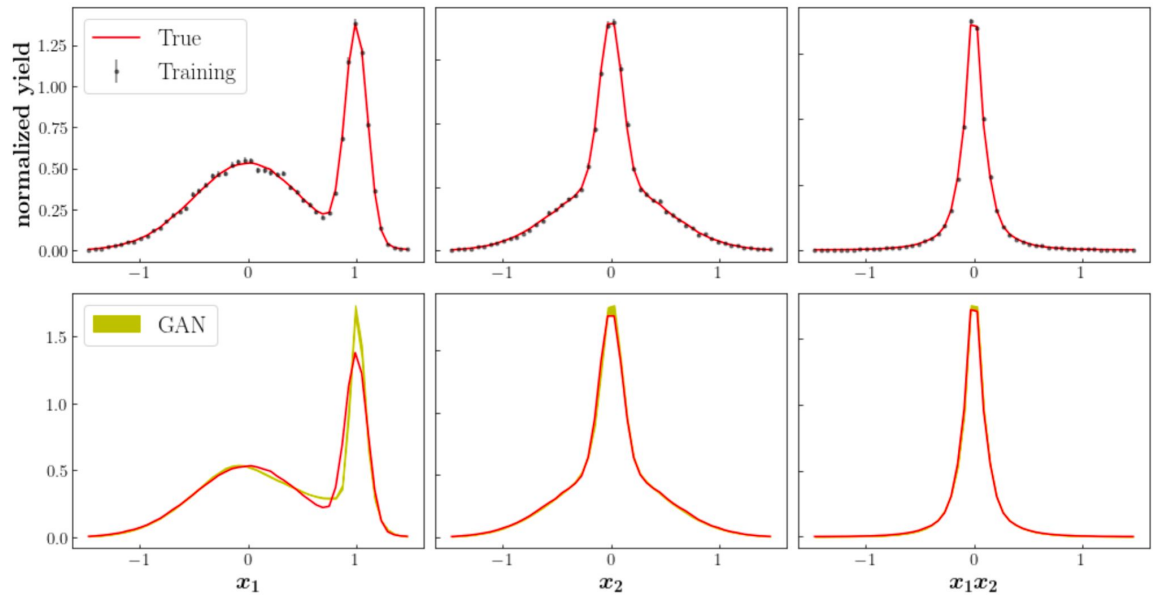
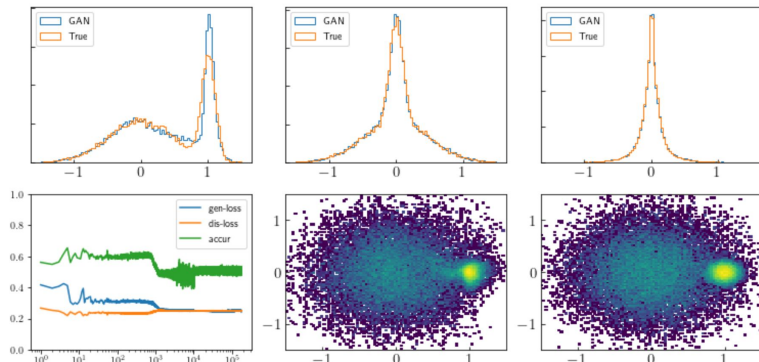


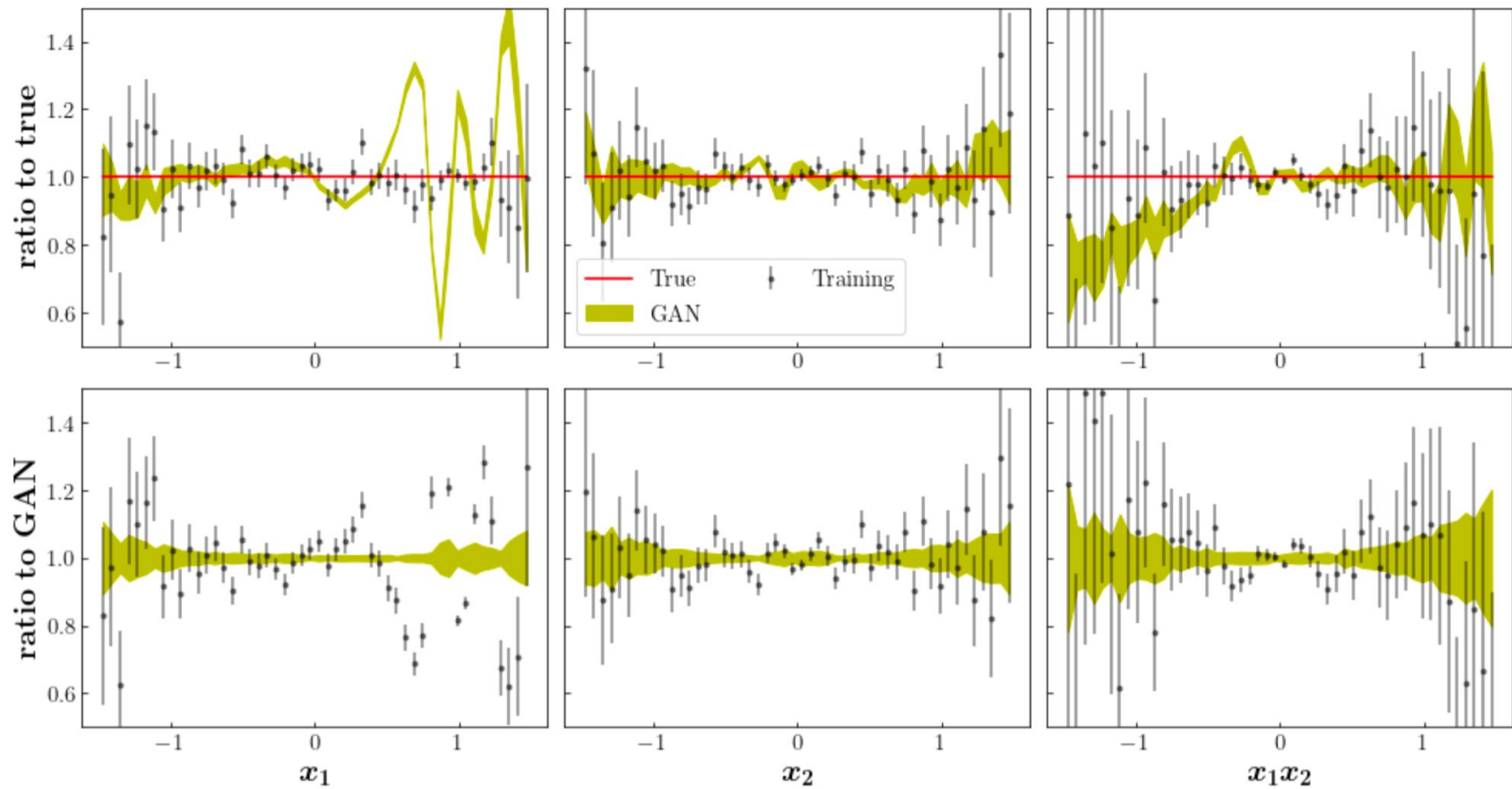


- Pink generate with the same training samples size
- Yellow combines GAN replicas each with x20 samples than original size
- Training the GAN at the event level gives higher precision of the underlying law



Bootstrapping toy example 2



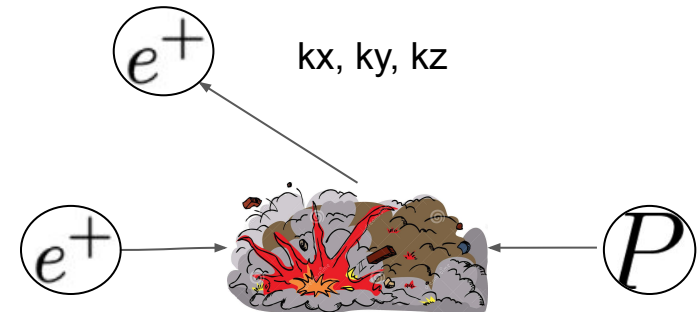
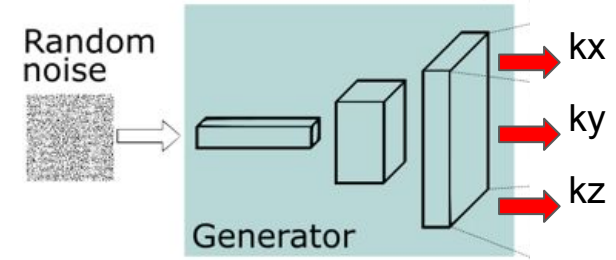
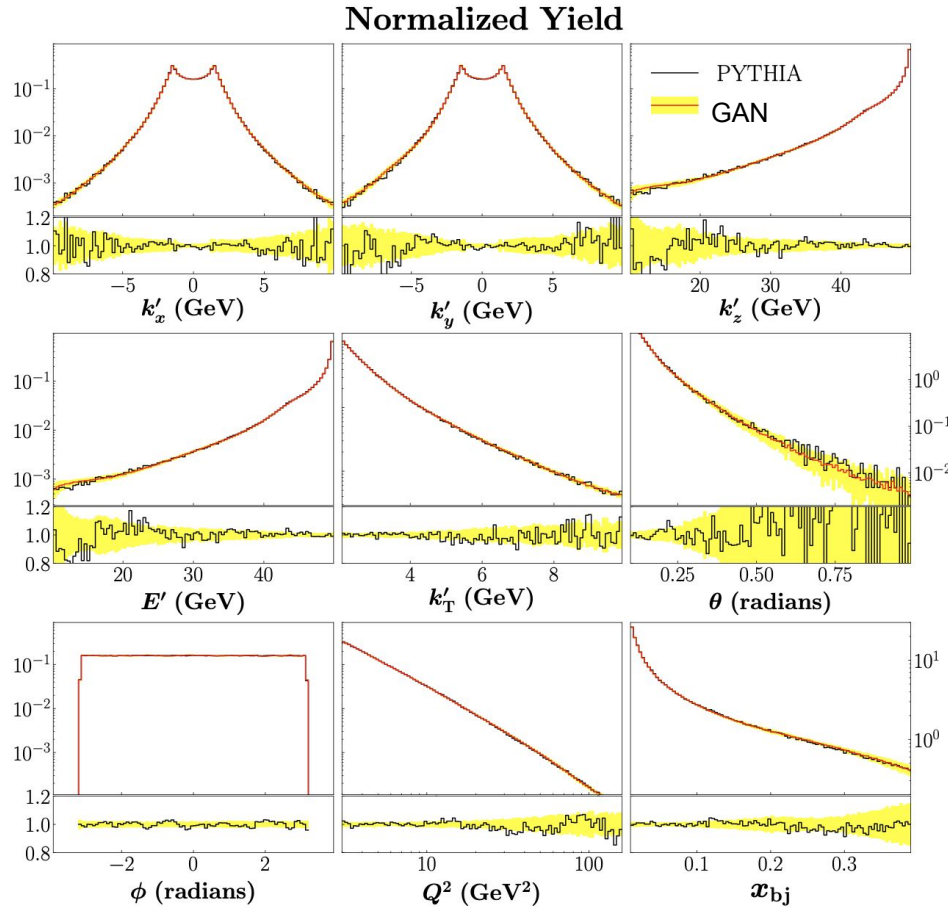


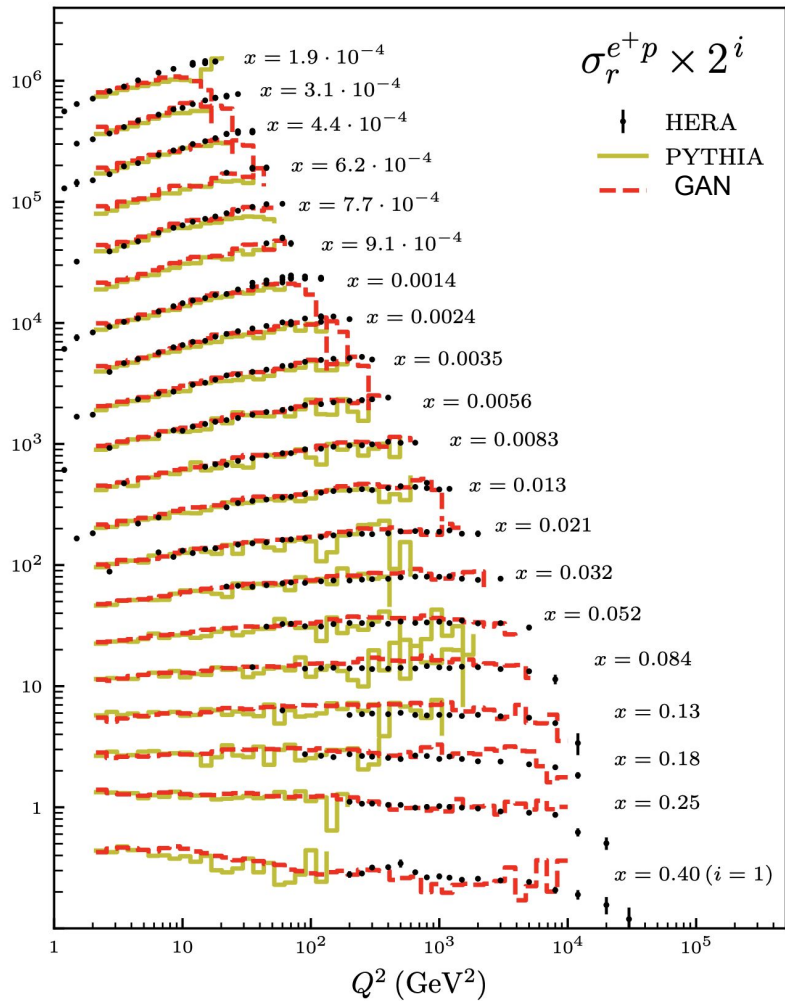
Real applications

[Submitted on 6 Aug 2020]

AI-based Monte Carlo event generator for electron-proton scattering

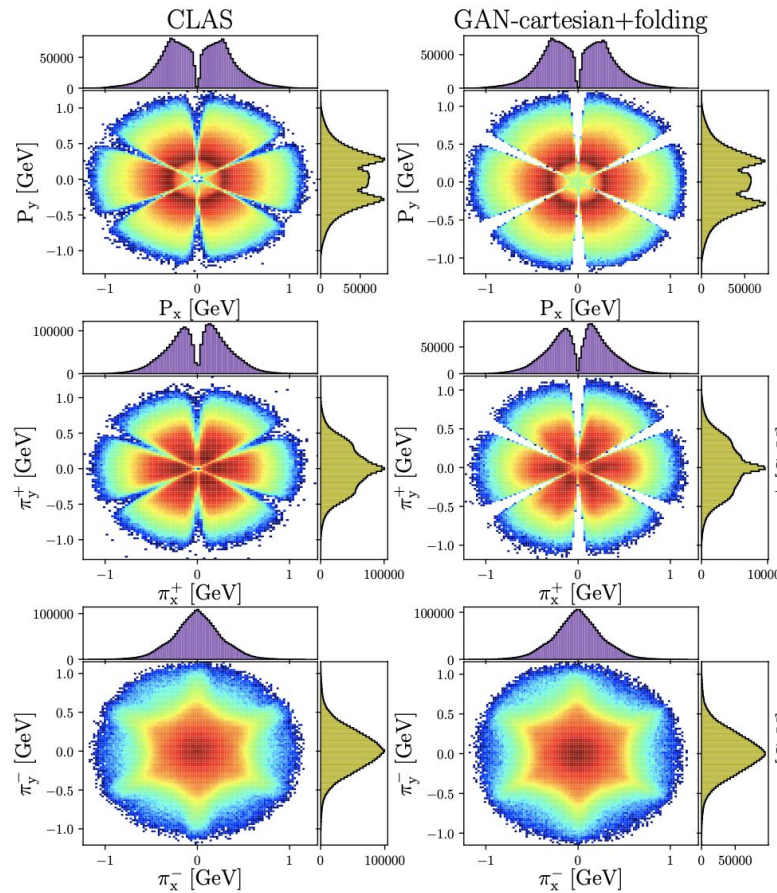
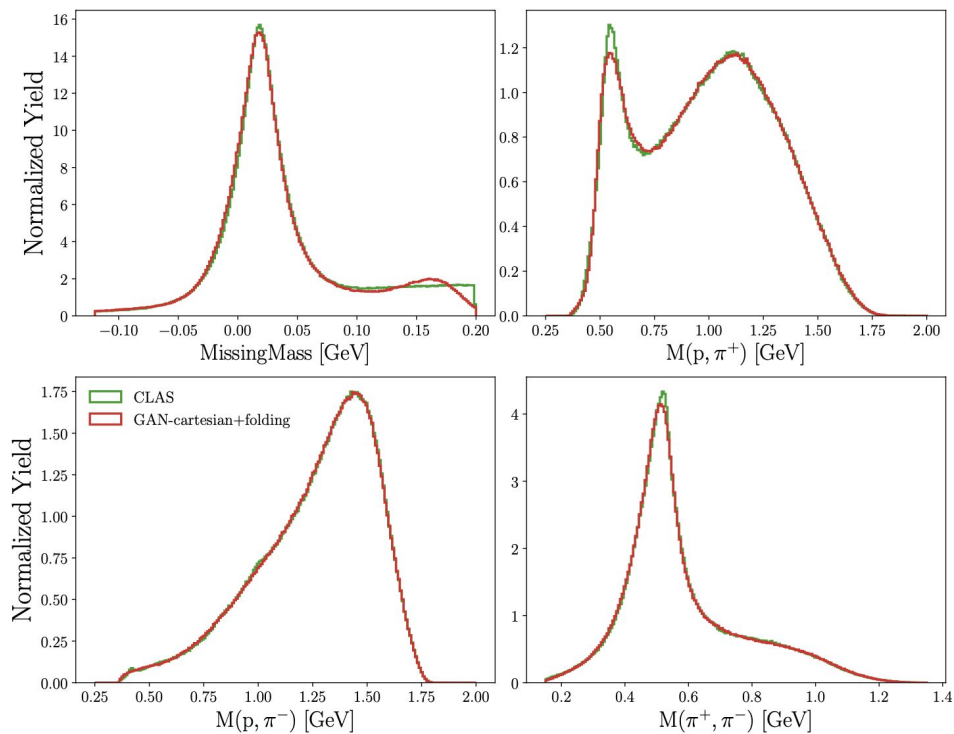
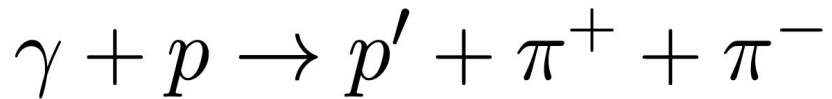
Y. Alanazi, P. Ambrozewicz, M.P. Kuchera, Y. Li, T. Liu, R.E. McClellan, W. Melnitchouk, E. Pritchard, M. Robertson, N. Sato, R. Strauss, L. Velasco





- PYTHIA has 1M events
- GAN was trained with 1M events
- GAN predictions from 100M events
- GAN has learned accurately the underlying low with lower statistics

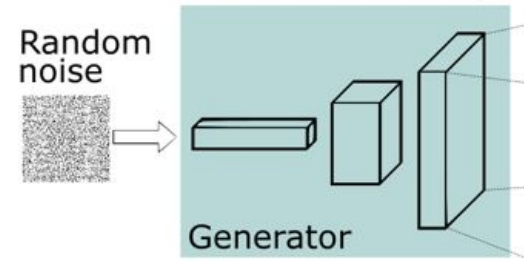
Case study: CLAS 6 GeV data



Summary and Outlook

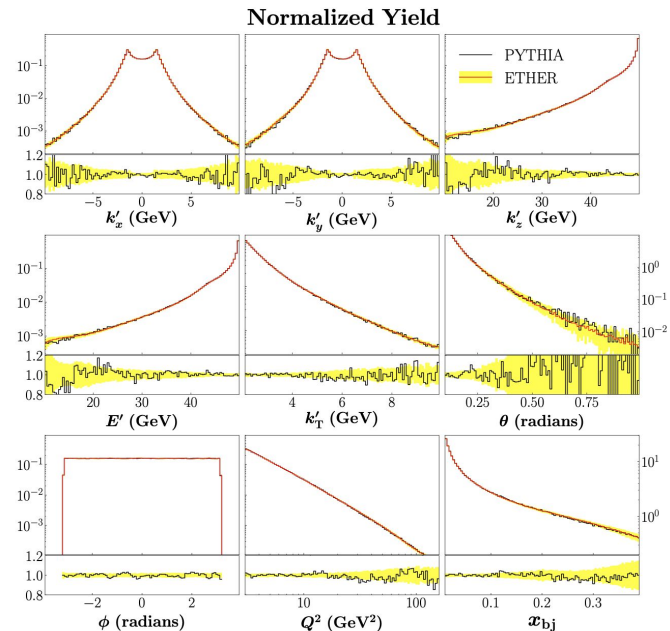
A new paradigm

- GAN offers a new way to represent experimental data in particle physics
- GANs allows to map put the underlying particle distribution using a continuous function



Near future

- Inclusion of detector effects with GANs
- Physics extraction from GANs



Backup

GAN+detector effects

